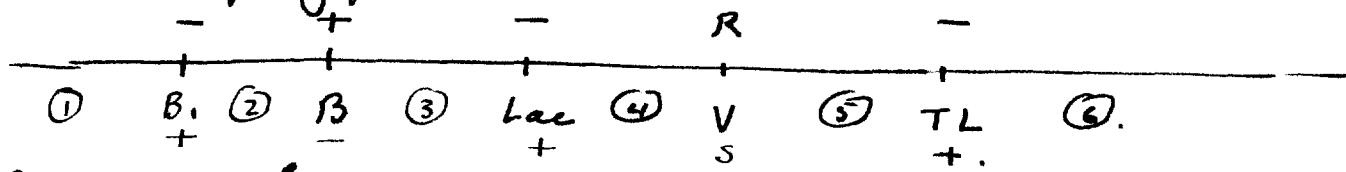


Mapping genes on the chromosome:



$B^- \times TLB, V^R Lac^-$:

$x^- B_1 B_2$	TL
$+$ $-$ $+$ $- R$	$-$
$-$ $+$ $-$ $+ S$ $+$	

x is region ①

$++$ ① + ② [3,4,5].

Distr. as in $B^- \times TLB_1$.

$x^- > x^+$ 2. [3,4,5].

do.

$B_1^- > B_1^+$ ② [3,4,5]

as in $B^- \times TLB_1$.

$B^- > B^+$ 1. [3,4,5]

(probably \emptyset, C).

B_1	X B	TL
$-$	$+$ $+$	$- R$ $-$
$+$	$--$	$+ S$ $+$

x is region ②

$++$ $2L \cdot (3,4,5)$

Distr. as in $B^- \times TLB_1$.

$B_1^- > B_1^+$ ③ [3,4,5]

$x^- \ll x^+$ $2R$ ③ [3,4,5]

$B^- \ll B^+$

$B_1 B_2 X$	TL
$-$ $+$ $+$	$- R$ $-$
$+$ $--$	$+ S$ $+$

x is region ③

$++$ 2. 3R4S

Distr., except that $+ S \ll$ then $B^- + TL$,

$B_1^- > B_1^+$ 3R4S

$x^- \ll x^+$ 2. 3L ~~■~~

do.

Mostly $+ S$.

x is region ④

$B_1 B_2 Lac$	X	V	TL
$-$	$+$	$- R$	$-$
$+$	$-$	$+ S$	$+$

$++$ 2. 4RS

$x^- = x^+$

2. 34L

5

34L · 4SR

{ No $+ S$
 $< - S$
Mostly $- R$

Mostly $+ S$

$< - S$

No $- R$.

π in region 5

$$\begin{array}{ccccc} B, B & \xrightarrow{\text{La. V}} & \times & T_L \\ - + & - R & - & + - \\ + - & + S & - & + \end{array}$$

$$++ \quad 2 \cdot 5R$$

$$X^- \gg X^+ \quad 2 \cdot 345L$$

$$\begin{array}{c} B = \cancel{B} \\ \cancel{S} \\ \gg \end{array} \quad 345L \cdot 5R$$

(all - R) (baring doubles). like B.P.

less - R. otherwise like $BM \times TLB$,

do.

χ in region 6.

$$\begin{array}{ccccc} B, B & \xrightarrow{\text{La. V}} & \times & T_L \\ - + & - R & - & + \\ + - & + S & + & - \end{array}$$

$$++ \quad 2 \cdot 345 \cdot 6$$

as $BM \times TLB$,

$$B \bar{\gamma} ++ \quad 6$$

all + S baring double

$$X \bar{\gamma} X^+ \quad 2 \cdot 345$$

as ++

χ between T_L (assume that order).

$T_L \cdot T_R$.

$$\begin{array}{ccccccc} B, B & \xrightarrow{\text{La. V}} & T & \times & L \\ - + & - R & - & + - \\ + - & + S & + & - + \\ . & . & . & . & . \end{array}$$

$$++ \quad 2 \cdot 345 \cdot T_L \cdot T_R.$$

as in $BM \times TLB$,

$$\underline{B} \gg B^+ \quad T_L \cdot T_R$$

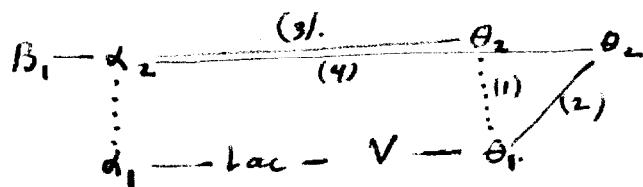
all + S.

$$X^- \gg \quad 2 \cdot 345$$

like ++

Compare 4, 5.

1. Since B_1^- is more frequent than B_1^+ it is linked to α_1 , and is either on a different chromosome from α_2 , or exterior to it:



Also θ_2 is linked (2) or unlinked (1) with θ_1 .

It may also be linked to α_2 .

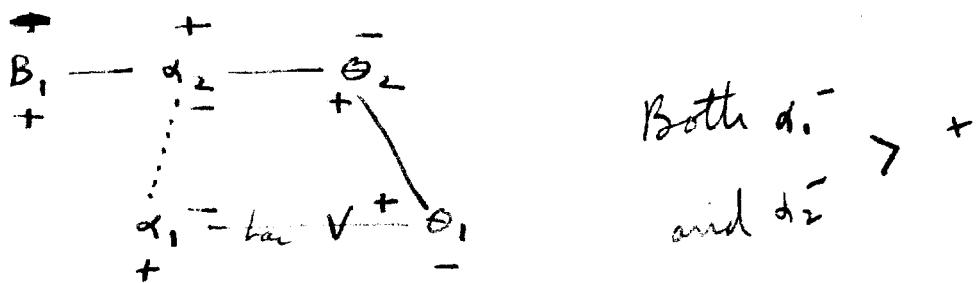
$$(1) \quad \begin{array}{c} \overline{B_1 - \alpha_2 +} \\ + - \vdots \\ \alpha_1 + \\ - \end{array} \quad \begin{array}{c} - \theta_2 + \\ - \vdots \\ \theta_1 + \\ + \end{array} \quad \begin{array}{l} \alpha_2^- = B_1^- > + \quad \alpha_2 \stackrel{?}{=} M \\ \alpha_1^- = \theta_1^- \geq + \quad \alpha_1 \stackrel{?}{=} M \\ \theta_2^- = \theta_2^+ \quad F \end{array}$$

$$(2) \quad \begin{array}{c} \overline{B_1 - \alpha_2 +} \\ + - \vdots \\ \alpha_1 + \\ - \end{array} \quad \begin{array}{c} - \theta_2 + \\ - \vdots \\ \theta_1 + \\ + \end{array} \quad \begin{array}{l} \alpha_1^- \cancel{\geq} + \quad \alpha_1 \stackrel{?}{=} M \\ \alpha_2^- = B_1^- > + \quad \alpha_2 \stackrel{?}{=} M. \end{array}$$

$$(3) \quad \begin{array}{c} \overline{B_1 - \alpha_2 +} \\ + - \vdots \\ - \alpha_1 + \\ - \end{array} \quad \begin{array}{c} - \theta_2 + \\ - \vdots \\ \theta_1 + \\ + \end{array} \quad \begin{array}{l} \alpha_1^- = \theta_1^- \geq + \quad \alpha_1 \stackrel{?}{=} M. \\ \alpha_2^- > + \quad \alpha_2 = M \\ \theta_2^- > \theta_2^+ \quad F \end{array}$$

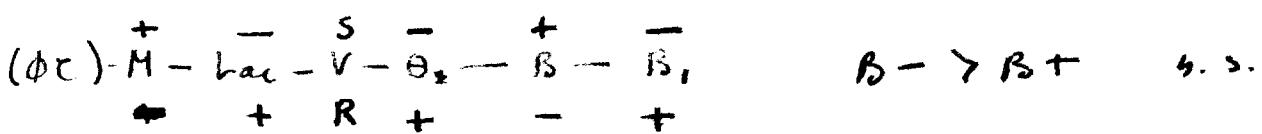
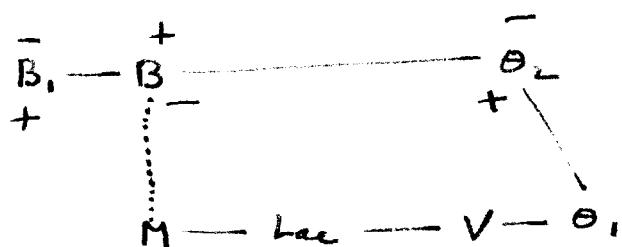
$$(4) \quad \begin{array}{c} B_1 - \alpha_2 - \theta_2 \\ \vdots \\ \alpha_1 - \theta_1 \end{array}$$

One linkage map].



The bond is meaningless for the isolation of d_1^- .

On this theory $d_1^- = d_1^+$ \therefore it may be M.



OK.

$\therefore f(B)$ is crucial evidence against spurious linkage

$$\begin{aligned} \text{MAX TL } \beta_1 &= \alpha \\ + s &= \beta \\ - R &= r \end{aligned}$$

<u>Prot.</u>	B^-	β^-	x^-	<u>Position</u>
α	$>\alpha$	$\gg\alpha$	$>\alpha$	1
α	$>\alpha$	$\ll\alpha$	$\ll\alpha$	2
α'	$>\alpha'$	$\ll\alpha'$	$\ll\beta$	3 $\{\alpha' \sim +s$
$r+s$	$>r$	$\geq\alpha''$	$\geq\beta$	4 $\alpha'' \sim +R$
r	$>r$	$>\alpha'$	$>\alpha'$	5
α	$>\alpha$	$>\beta$	$>\alpha$	6.
α	$>\alpha$	$>\beta$	$\gg\alpha$	$T-x-L$.

(1) B, (2) B (3) 1a, (4) V (5) TL (6)

1+2, ~~3, 4, 5~~ are not very readily distinguishable.

Routine: Test pasteurizes, colonies with B.